Linear Programing

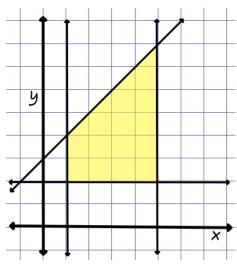
Identify the vertices of the feasible region of each linear programing graph and find the max and min given the objective function.

1)

| Vertices | f(x,y) = x - y | Max/Min |
|----------|----------------|---------|
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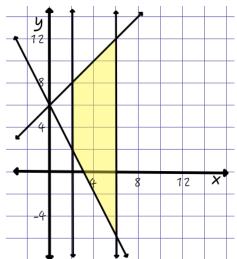
2)

| Vertices | f(x,y) = 3x - 2y | Max/Min |
|----------|------------------|---------|
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| | | |
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3)

| Vertices | f(x,y) = -x + 3y | Max/Min |
|----------|------------------|---------|
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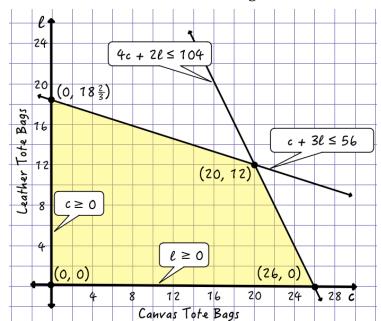
4) The Future Homemakers Club is making canvas tote bags and leather tote bags for a money making project. Both types of tote bags will be lined with canvas and have leather handles of both bags. For the canvas tote bags, they need 4 yards of canvas and 1 yard of leather. For the leather tote bags, they need 3 yards of leather and 2 yards of canvas. Their faculty adviser has purchased 56 yards of leather and 104 yards of canvas.

Let c = the number of canvas tote bags and let ℓ = the number of leather tote bags

- a) List the coordinates of the feasible reason.
- b) If the club plans to sell the canvas bags at a profit of \$20 each and the leather bags at a profit of \$35 each, write a function for the total profit on the bags.

P =

- c) Determine the number of canvas bags and leather bags that they need to make for a maximum profit.
- d) What is the maximum profit?



- 5) As a receptionist for a veterinarian, one of Dolores Alvarez's tasks is to schedule appointments. She allots 20 minutes for a routine office visit and 40 minutes for a surgery. The veterinarian cannot do more than 6 surgeries per day. The office has 7 hours available for appointments.
 - a) List the coordinates of the feasible reason.
 - b) If an office visit cost \$75 and most surgeries cost \$250, write a function for the total income received per day.

I =

- c) Determine the number of office visits and the number of surgeries that will maximize their income.
- d) What is the maximum income?

