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## Two-way Frequency Charts

Conditional Probabilities, or frequencies, can be calculated using two-way frequency charts. These are not usually in the body of the chart, but can be readily calculated from the cell contents. One conditional frequency would be the percent of females that are in the chorus out of the total number of females in some type of club. 17 of the 57 females are in the chorus, so 29.8\%. This could also be stated as "Given that a female in a club is selected, what is the probability that she is in the chorus?"

Practice \#1:
Jamie investigated hair and eye color.

|  | Fair hair | Dark hair | TOTAL |
| :---: | :---: | :---: | :---: |
| Blue eyes | 8 |  | 13 |
| Other |  | 10 |  |
| TOTAL | 15 | 15 |  |

a) Complete the table above.

One of the people is chosen. Calculate the probability of choosing...
b) someone with blue eyes.
c) someone with fair hair and blue eyes.

A person with dark hair is chosen. Calculate the probability of...
d) them having blue eyes.
e) them not having blue eyes.

Practice \#2:
Carol records some cars that pass by her house.

|  | Jeep | Chevy | Ford | TOTAL |
| :---: | :---: | :---: | :---: | :---: |
| Grey |  | 9 | 14 | 31 |
| Red | 4 | 11 |  | 23 |
| Blue |  |  |  |  |
| TOTAL | 12 |  | 25 | 60 |

a) Complete the table above.

One of the cars is chosen. Calculate the probability of choosing
b) a red car.
c) a grey Jeep.

A Ford is chosen. Calculate the probability of
d) it being blue.

## Practice \#3:

The following two-way table has information regarding possible math classes $11^{\text {th }}$ grade students have chosen for their $12^{\text {th }}$ grade year.

|  | AFM | Pre-Calculus | Calculus | Total |
| :---: | :---: | :---: | :---: | :---: |
| Male | 45 |  |  | 85 |
| Female |  |  | 14 |  |
| Total |  | 43 | 22 | 160 |

a) Complete the two-way table.
b) What is the probability of choosing a male student?
c) What is the probability of choosing a student who will take AFM?
d) Given that a female is selected, find the probability that she chose to take Calculus.
e) Given that a student taking Calculus is selected, find the probability that the student is female.
f) Find the probability that a male student chooses Pre-Calculus or Calculus.

## Two-way tables can also show the probabilities of events.

EX: What is the probability that a person chosen who prefers HGTV is female?
$\mathrm{P}($ Female given HGTV is their preferred station $)=\frac{\text { femal and } H G T V}{\text { Total HGTV }}=\frac{0.24}{0.28}=0.86$

|  | HISTORY | ESPN | HGTV | TOTAL |
| :---: | :---: | :---: | :---: | :---: |
| Male | 0.17 | 0.29 | 0.04 | 0.5 |
| Female | 0.12 | 0.14 | 0.24 | 0.5 |
| TOTAL | 0.29 | 0.43 | 0.28 | 1 |

## Practice \#4:

A group of people where asked about their vacations.

|  | Family <br> Home | Camper | Rental <br> House | Hotel | TOTAL |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Beach | 0.06 | 0.14 |  | 0.04 | 0.44 |
| Mountains |  |  |  | 0.1 | 0.34 |
| Other | 0.1 | 0 |  |  |  |
| TOTAL | 0.24 | 0.2 |  | 0.26 | 1 |

a) Complete the table above.
b) What is the probability of choosing a person who stays in a rental house?
c) What is the probability of choosing a person who does not go to the beach or mountains?
d) If the person chosen vacations in the mountains, find the probability that they stay in a camper.
e) If the person chosen stays in a rental house, find the probability that they vacation at the beach.
f) Find the probability of a person staying in a hotel or a rental house.

